# THE CHEMICAL COMPOSITIONS OF 26 DISTANT LATE-TYPE SUPERGIANTS AND THE METALLICITY GRADIENT IN THE GALACTIC DISK 

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#### Abstract

From an analysis of high-dispersion Mount Wilson spectroscopic data, we have obtained atmospheric parameters and chemical abundances for 26 distant supergiants of spectral types $G$ through M. Iron-to-hydrogen ratios with respect to the Sun, $[\mathrm{Fe} / \mathrm{H}]$, can be determined from this material with an uncertainty of $\pm 0.2$ dex.

It is found that supergiants more than about 0.5 kpc from the Sun in the direction of the galactic anticenter are significantly metal-deficient relative to those in the solar neighborhood. Combining our new analyses with those published earlier by Luck for 28 additional supergiants, we derive a radial metallicity gradient $d[\mathrm{Fe} / \mathrm{H}] / d R=-0.24 \pm 0.04 \mathrm{kpc}^{-1}$ for the region of the galactic disk between 7.7 and 10.2 kpc from the galactic center. This gradient is steeper than is found from older objects (such as field main-sequence stars, red giants, and open clusters) and suggests that the metallicity gradients in disk galaxies steepen significantly with age.


Subject headings: galaxies: Milky Way - galaxies: stellar content - stars: abundances stars: late-type - stars: supergiants

## I. INTRODUCTION

In the study of galactic structure, supergiants have long been recognized as objects of great importance. As they are extremely young and very luminous objects, they can be used to trace out the spiral structure of the Galaxy (Humphreys 1970). Their youth also makes them prime candidates for the study of the chemical composition at different locations in the Galaxy at the present epoch. When the homogeneity of age and kinematic properties are combined with the great intrinsic luminosity of these objects, it becomes immediately obvious that we have at our disposal an excellent probe into distant regions of the galactic disk. These stars should be useful in studies of chemical evolution and the determination of the galactic radial metal-abundance gradient.

The question of the current chemical composition of the Galaxy and, in particular, the composition of the local region about the Sun, has been a subject of controversy during the past several years. Pagel and Patchett (1975) investigated the mean abundance of stars as a function of age and concluded that the current generation of stars has a mean metal abundance 2 to 3 times that of the oldest disk stars. However, McClure and Tinsley (1976) point out that the Pagel and Patchett results could be adversely affected by small random errors in photometry, which could give rise to a spurious correlation between age and composition. But Luck $(1977 a, b ; 1979)$ investigated a sample of 28 supergiants located generally within 0.5 kpc of the Sun and found that there is indeed a systematic enhancement of the $\mathrm{Fe} / \mathrm{H}$ ratio in these

[^0]stars with respect to the solar value. The mean overabundance found was a factor of 2 , which is in agreement with the original finding of Pagel and Patchett. Therefore, since the supergiants are unquestionably young objects, it seems that the galactic disk has continued its evolution toward higher metallicities, at least in our neighborhood, since the formation of the Sun.

It has become apparent that the disks of external spiral galaxies show abundance gradients (see, e.g., Searle 1971 ; Jensen, Strom, and Strom 1976; Shields and Searle 1978). Such gradients have also been claimed in our Galaxy (Mayor 1976; Peimbert, TorresPeimbert, and Rayo 1978; Janes 1979), but their size and behavior are still somewhat uncertain. A radial abundance gradient is expected on the basis of theoretical models of galactic chemical evolution (Larson 1976; Tinsley and Larson 1978), but the form of the gradient is dependent upon model parameters. The recent observational work of Janes (1979) suggests that the gradient may not be large inward of the Sun's position, but may be more pronounced toward the galactic anticenter.

A direct approach to the problem would be to select a group of stars of similar ages located at a large range of distances from the galactic center and to determine their chemical compositions through high-dispersion spectroscopic analysis. Late-type supergiants meet the criteria of homogeneity in age and observability over large distances and are thus seen to be a natural choice for the direct determination of the radial metallicity gradient at the present epoch.

The primary hindrances to the spectroscopic analy-
sis of late-type supergiants in the past have been (1) the necessity of observing them in the red spectral region, where line blending is less severe but where photographic plates have low sensitivity, and (2) the lack of adequate model stellar atmospheres. The first problem has now been overcome with the introduction of image tubes, Reticons, and similar detectors. The modelatmosphere problem has been greatly eased in recent years by the computation of realistically lineblanketed models (e.g., Gustafsson et al. 1975; Sneden, Johnson, and Krupp 1976; Kurucz 1979). The problems that remain in models of supergiant atmospheres concern the failures of the assumptions of LTE and plane-parallel geometry (Auman and Woodrow 1975; Watanabe and Kodaira 1978). The effects of these problems are not yet known with certainty, but it is though that they will be of great importance only in the coolest and lowest-gravity atmospheres ( $T_{\text {eff }} \lesssim 3500 \mathrm{~K}, \log g \lesssim 1.0$ ). We have therefore limited our analyses, insofar as possible, to supergiants of luminosity class Ib and spectra type earlier than M3.
In this paper we shall primarily be concerned with determination of the metallicity gradient in the direction of the galactic anticenter. The 26 stars to be analyzed are listed in Table 1, with some basic information. The objects were selected primarily from the catalogs of Humphreys (1970, 1978), with the aim of selecting objects lying $0.5-2 \mathrm{kpc}$ from the Sun.

## II. OBSERVATIONS AND REDUCTIONS

The analysis of the stars in Table 1 is based on spectroscopic observations we obtained as Guest Investigators at Mount Wilson Observatory during

1978-1979 using the 2.5 m Hooker reflector with the coudé photon-counting Varo-Reticon detector designed by Shectman (see Shectman and Hiltner 1976). Three observations of each star were acquired, each having a spectrum length of $175 \AA$, and centered at 6350,6560 , or $6710 \AA$. The spectral resolution in each case was $0.3 \AA$, and the formal signal-to-noise ratio at the central wavelength was in excess of 50 . A typical integration time was 20 minutes. If a star was a known variable, all data were acquired in a short time relative to the known or suspected period as given in the General Catalogue of Variable Stars.
The Varo-Reticon data were reduced using a package of computer programs developed or modified by one of us (R. E. L.) and H. Delgado. The initial program performs sky subtraction, divides by a flatfield scan, adds buffers, co-adds channels, and performs various other auxiliary functions. After this preliminary processing is completed, the spectrum is smoothed by a fast-Fourier transform (originally developed by C. Webb at the University of Texas). From a plot of the smoothed data, the continuum is set by hand, and lines of known wavelength are chosen and marked. This information, along with the smoothed spectrum, is then fed to another program, which normalizes the spectrum to the desired continuum level, computes the wavelength dispersion relation, and finally determines line equivalent widths from the formula

$$
W_{\lambda}=1.06 l_{d} \Delta \lambda,
$$

where $\Delta \lambda$ is the full width at half-maximum, and $l_{d}$ is the line depth. The line list used was that of Luck

TABLE 1

(1979). For each star, between 175 and 250 equivalent widths were measured. The bulk of these measures precludes their publication, but they are available from the authors upon request.

In an effort to determine the accuracy of these equivalent-width measures, several tests have been made. First, there is some wavelength overlap between integrations for each star, and a comparison of equivalent widths from the different integrations shows agreement to within $\pm 20 \%$. This is satisfactory since the ends of the scans suffer considerable vignetting and some defocusing. In several cases, two spectra of the same object were obtained at the same central wavelength. The comparison in these cases showed very good agreement, to within $\pm 10 \%$. To test the external accuracy of the equivalent-width scale, integrations at $6250 \AA$ were obtained for $\epsilon \mathrm{Peg}$ and 9 Peg , both of which have previously been analyzed on photographic plates by one of us (Luck 1977a). Comparison of the Varo-Reticon equivalent widths to those measured in the earlier study (on $3.5 \AA \mathrm{~mm}^{-1}$ plates with a resolution of $0.07 \AA$ ) is shown in Figure 1. The agreement is satisfactory, with a small systematic shift of 0.05 dex between the reduced equivalent widths in the sense that the Varo-Reticon data give larger equivalent widths. This shift is about what we expect, since lower-resolution spectra tend to give somewhat larger equivalent widths (see Cayrel and Cayrel 1963; Luck and Bond 1980). As this shift is quite small, it should cause little error in the comparison of abundances derived from the present material with the abundances derived in the earlier studies.


Fig. 1.-A comparison of equivalent widths measured from Varo-Reticon data and plate data. There is a small systematic shift of +0.05 dex between the reduced equivalent widths, which is as expected based on the respective resolutions of the source data. See text for further discussion.
III. METHOD OF ANALYSIS

For this study we have adopted the technique of fine analysis using equivalent-width data. In this method, equivalent widths are calculated for an assumed abundance by integration through a model atmosphere. The computed equivalent width is then compared with an observed equivalent width. If the agreement is not adequate, the abundance of the species in question is changed and the calculation repeated. This procedure is continued until a match is achieved. The underlying assumptions of such an analysis are the usual ones, specifically LTE, plane-parallel geometry, and hydrostatic equilibrium.

The calculations were carried out using a linesynthesis code originally developed by Sneden (1973) and subsequently modified by one of the authors (R. E. L.). Model atmospheres for the G and K stars were taken from the grid of Gustafsson et al. (1975), as supplemented by Gustafsson (1979) and new calculations performed at LSU using the MARCS code of Gustafsson et al. For the M stars, models from an unpublished grid of models by H. R. Johnson and his co-workers at Indiana University were used. These models were computed using methods discussed by Sneden, Johnson, and Krupp (1976).

Oscillator strengths for the lines used in this study were derived from an inverted solar analysis. Solar equivalent widths were taken from Moore, Minnaert, and Houtgast (1966). A depth-independent microturbulent velocity of $1.0 \mathrm{~km} \mathrm{~s}^{-1}$ (Smith, Testerman, and Evans 1976) was used in conjunction with the Holweger solar model (Holweger 1967; Holweger and Müller 1974). The abundances of Ross and Aller (1976) were adopted for the derivation of the $g f$ values, except for Na through Ca , for which the abundances of Lambert and Luck (1978) were used. The use of these solar oscillator strengths makes this study differential with respect to the Sun. The use of model-atmosphere fine-analysis techniques removes the difficulties formerly encountered when dissimilar objects such as supergiants and dwarfs were compared.

The method of derivation of effective temperatures, gravities, microturbulent velocities, and abundances for the program stars used is that given by Luck (1979). Briefly, the effective temperature and microturbulent velocity are arrived at by taking an initial model with a series of microturbulent velocities and computing the abundance of $\mathrm{Fe}_{\mathrm{I}}$ from all lines with equivalent widths less than $250 \mathrm{~m} \AA$. The proper velocity is the one that gives no dependence of abundance on equivalent width. With the microturbulent velocity determined, the dependence of abundance upon lower excitation potential is examined, and changes are made in the assumed effective temperature until there is no dependence on excitation. The abundance-versus-equivalent-width relation is then reexamined for possible trends, and the procedure is iterated as necessary until there are no trends in the individual Fe I abundances with either equivalent width or excitation potential.

Gravities were, in most cases, derived after obtaining the effective temperature and microturbulent velocity by forcing Fe I and Fe il to give the same abundance. In the case of the M stars this was not feasible, as no reliable Fe it lines were measured. For the $M$ stars, therefore, we have had to resort to a theoretical determination of the gravity based on assumed luminosities. Examination of the K-line magnitudes for Ib objects (Wilson 1976) shows that these stars have remarkably homogeneous absolute $V$ magnitudes, with a mean $M_{v}=-4.5$. We adopt this value for the absolute $V$ magnitudes of all the M Ib stars. For the M Iab stars we adopt a mean absolute $V$ magnitude of -5.8 (Lee 1970). To obtain bolometric absolute magnitudes we use the bolometric corrections of Johnson (1966) in combination with the derived effective temperatures. Converting these bolometric magnitudes to luminosities, and using the spectroscopically derived effective temperatures, we place these objects on the theoretical evolutionary tracks of Paczyński (1970) and obtain a mean mass of $10 M_{\odot}$. This mass and luminosity then translate into a $\log g$ of 0.7 for Ib objects and 0.5 for Iab objects. Considering the uncertainties in the derivation, we simply adopted 0.7 dex as the gravity for all M-type Ib and Iab objects. It is known that evolutionary and spectroscopic gravities are in good agreement for Ib stars of earlier spectral types (Luck 1977a, 1979), so there should be no major problem involved in the use of these gravities. For the sole M Ia object (BU Gem), we have assumed an absolute $V$ magnitude of -6.5 and proceeded as above, deriving a gravity of 0.0 dex . The derived parameters are given in Table 1 for all program stars.

Abundances for the program stars are given in Table 2. They have been derived by computing the abundance for each species at the model-atmosphere grid points which bracket the derived parameters and then interpolating, if necessary, to the proper effective temperature and gravity.

## IV. RESULTS OF THE ABUNDANCE ANALYSIS

In this section we shall discuss the derived stellar parameters and chemical abundances, and the uncertainties associated with them.

## a) Parameters

Effective temperatures for the program stars are given in Table 1. The possible error in these temperatures can be obtained from the uncertainty in the slope of the abundance-versus-excitation-potential relation. A typical value for this uncertainty is $\pm 0.05$ in terms of $\theta=5040 / T$. At 5000 K this translates into a possible uncertainty in temperature of $\pm 250 \mathrm{~K}$, while at 4000 K the uncertainty is $\pm 150 \mathrm{~K}$. The effective temperatures given in Table 2 have a tendency to lie at the model grid points (temperature spacing in the Gustafsson grid is 250 K ; in the Indiana M-star grid 200 K ), which can be understood because the spacing
of the grids in temperature is about equal to the temperature resolution of the data. Therefore, the effective temperatures can be assigned to the grid points without incurring any significant error. We will not attempt to derive from these temperatures an intrinsic color-temperature relation, as all of these objects are undoubtedly reddened to some extent. Unfortunately there is no way to deredden most of these objects without the assumption of a colortemperature relation. We will return to this problem in § V.

Demanding that the agreement between the abundances of Fe I and $\mathrm{Fe}_{\text {II }}$ be better than $\pm 0.17$ dex leads to a range of $\pm 0.3$ dex in the value of $\log g$. We feel that our neutral abundances are reliable at this level, and hence feel that the error in the gravities is on the order of $\pm 0.3$ dex, except for the $M$ stars where a figure of $\pm 0.5$ dex is more likely. The uncertainty (except for the M stars) is derived from considering the sensitivity of the Fe II abundance to gravity and how much variation in $\log g$ could be allowed before the Fe I and Fe iI abundances are not in adequate agreement (agreement meaning a difference of no more than 0.17 dex). Some confirmation of the gravities is found in the abundances of Ti i and Ti II given in Table 2, but the Ti in data are somewhat unreliable. The uncertainty in the M-star gravities is very difficult to estimate, as there is no quantitative check possible. The possible error must be as large as that for the directly determined gravities, and we feel that $\pm 0.5$ dex is a realistic estimate.

The derived microturbulent velocities are estimated to have an internal accuracy of $\pm 0.5 \mathrm{~km} \mathrm{~s}^{-1}$. This is due to the fact that the abundance-versus-equivalentwidth relation is very sensitive to the assumed velocity, and a change in excess of $0.5 \mathrm{~km} \mathrm{~s}^{-1}$ from the derived value leads to large relative changes in the slope of that relation. The velocities derived in this study compare very well with those derived for other Ib stars by Luck (1979).

Three of the stars considered in this work have been analyzed previously. Bakos (1971) performed a curve-of-growth analysis of HD 45829 and 41 Gem , and van Paradijs (1973) analyzed 3 Cet using modelatmosphere curve-of-growth techniques. Bakos does not give effective temperatures or gravities for the stars in his analysis, so the results cannot be compared with the parameters derived here. Van Paradijs gives an effective temperature of 4100 K and a $\log g$ of 1.1 for 3 Cet, which are to be compared with the values of 4250 K and 0.75 derived here. Given the difference in technique, the agreement is adequate. Microturbulent velocities were derived in the earlier analyses, with the values being $9.4,8.5$, and $3.0 \mathrm{~km} \mathrm{~s}^{-1}$ for HD 45829,41 Gem, and 3 Cet, respectively. Our values for these objects are $5.0,4.0$, and $4.5 \mathrm{~km} \mathrm{~s}^{-1}$, respectively. The difference between the Bakos values and those derived here are particularly large and must result from gross differences in technique and selection of standard parameters such as the solar microturbulent velocity.
Supergiant Abundances with Respect to Solar Values

| Max min | ${ }_{\text {PER }}{ }^{\text {a }}$ | 35601 | ${ }_{\text {Thu }}$ |  | AUR | \% |  |  | bet |  | ${ }_{\text {cem }}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{aligned} & -0.34 \\ & -0.35 \\ & -0.20 \\ & -0.38 \\ & -0.52 \\ & -0.54 \\ & -0.04 \\ & -0.04 \end{aligned}$ |  |  |  |  | 0.11 -0.07 -0.14 -0.18 -0.11 -0.16 -0.16 -0.16 -0.10 | $\begin{gathered} 0.28 \\ -0.12 \\ -0.018 \\ -0.17 \\ -0.05 \\ -0.05 \\ -0.020 \\ -0.04 \\ -0.04 \end{gathered}$ |  |  | -0.49 -0.10 -0.10 -0.37 -0.45 -0.42 -0.42 -0.02 -0.57 -0.36 -0.36 -0.13 |  |
| Species $z$ Max Min | 45829 CEM | 48840 | 49068 | GEM | 3026 |  | 疗 | (87299 |  | PEG | нов | CET |
|  |  | $\begin{gathered} 0.25 \\ -0.18 \\ -0.38 \\ 0.07 \\ -0.01 \\ -0.01 \\ -0.11 \\ -0.14 \\ -0.44 \\ -0.10 \\ 0.16 \\ 0.15 \\ 0.14 \\ 0.59 \end{gathered}$ |  |  |  | $\begin{gathered} 0.44 \\ -0.04 \\ -0.06 \\ -0.58 \\ -0.18 \\ -0.13 \\ -0.03 \\ -0.11 \\ -0.11 \\ -0.12 \\ -0.12 \\ -0.19 \\ -0.04 \\ 0.04 \\ 0.07 \end{gathered}$ |  |  | $\begin{aligned} & 0.11 \\ & 0.15 \\ & 0.156 \\ & 0.12 \\ & 0.12 \\ & 0.25 \\ & 0.159 \\ & -0.10 \\ & -0.09 \\ & 0.09 \end{aligned}$ | 0.77 -0.15 0.0 0.0 0.02 $0: 17$ $0: 05$ $0: 59$ -0.45 -0.45 0.78 | $\begin{aligned} & 0.04 \\ & 0: 18 \\ & 0.105 \\ & 0.05 \\ & -0.0101 \\ & 0.018 \\ & -0.03 \\ & 0.08 \\ & 0.08 \end{aligned}$ |  |

The difference between van Paradijs and this work is not so great but will result in abundance shifts, due to desaturation, between the two studies.

## b) Abundances

Abundances for the program stars are given in Table 2. The uncertainty in these abundances arises from two sources: (1) line-to-line scatter, and (2) possible errors in the stellar parameters. The first source of error can be evaluated directly from the data in the case where the abundance is.determined from an appreciable number of lines $(n>5)$. A typical standard deviation about the mean abundance for this case is $\pm 0.3$ dex. For $\mathrm{Fe}_{\mathrm{I}}$, which has numerous lines, this translates into an error in the mean of less than $\pm 0.1$ dex in all stars, and as small as $\pm 0.04$ dex in the most favorable case. For species whose abundance is determined from five or fewer lines, the errors are more difficult to ascertain. Examination of the abundances of these elements on a star-to-star basis (comparing only objects with similar $[\mathrm{Fe} / \mathrm{H}]$ ratios) indicates that an uncertainty of $\pm 0.4$ dex is not unrealistic.

The uncertainty in the derived parameters is approximately $\pm 150$ to $\pm 250 \mathrm{~K}$ in $T_{\text {eff }}, \pm 0.3$ in $\log g$, and $\pm 0.5 \mathrm{~km} \mathrm{~s}^{-1}$ in the microturbulent velocity. In Table 3 the sensitivity of abundances derived from $\mathrm{Fe}_{\mathrm{I}}$ and Fe II are given as a function of the line strength for a selection of parameter changes. These parameter
changes are selected to be between model atmosphere grid points for effective temperature and gravity, and a change of $1.0 \mathrm{~km} \mathrm{~s}^{-1}$ has been used in the micro-turbulent-velocity parameter. As a result the sensitivities shown in Table 3 are extreme values but are very illustrative of the effects of changing parameters. The error to assign to an abundance due to parameter errors is not the direct Gaussian sum of the individual uncertainties such as shown in Table 3. This is because a change in one parameter will in general cause a shift in another, the net effect of which could be no change in abundance. On the basis of numerical experiment with such changes, we estimate that typical parameter errors should lead to an uncertainty of no more than $\pm 0.2$ dex in the abundances. This figure takes into account the interaction of the parameters and is not a direct product of Table 3, which shows only the effect of unilateral changes.

We note at this point that all abundances in Table 2 have been computed from solar-abundance models. As can be seen, some of the stars are slightly metaldeficient relative to the Sun. The effect of using metalpoor $([\mathrm{M} / \mathrm{H}]=-0.5)$ models has been investigated and the effect found to be small (change in abundance $<0.1$ dex), as can be seen from the values given in Table 3. The only stars for which metal-poor models perhaps should be used are some of the $M$ stars; however, the Johnson grid has no metal-poor models. In any case, the net effect would be only a lowering of

TABLE 3
Sensitivity of Derived Abundances to Parameter Changes

the derived $[\mathrm{Fe} / \mathrm{H}]$ ratio by at most 0.1 dex, which compared with the total uncertainties in the analysis is small.

Iron-to-hydrogen ratios have previously been derived for three of the objects under study. These are HD 45829, 41 Gem, and 3 Cet. Bakos (1971) derived [ $\mathrm{Fe} / \mathrm{H}$ ] ratios of -0.16 and -0.29 for the first two objects, while van Paradijs (1973) derived +0.23 for the last star. Our values are $0.00,-0.20$, and -0.20 , respectively, for these objects. The first two determinations are in adequate agreement, but the difference for 3 Cet is rather large compared with the likely errors. As the two sets of stellar parameters are comparable, we conclude that a large part of the difference lies in the assumed stellar microturbulent velocities. This study has the larger value by $1.5 \mathrm{~km} \mathrm{~s}^{-1}$, which would desaturate the lines and lead to a lower abundance, as is observed.

We conclude from the above discussion that the derived $[\mathrm{Fe} / \mathrm{H}]$ ratios given in Table 2 are generally accurate to $\pm 0.2$ dex. In the G- and K-type supergiants, a large number of Fe I lines were used, so that the error in $[\mathrm{Fe} / \mathrm{H}]$ is dominated by parameter errors. In some of the M-type supergiants, as few as 11 Fe I lines were used (because of much more severe line blending), but even in these cases the line-to-line standard deviation of about $\pm 0.3$ dex leads to an error in the mean of less than $\pm 0.1$ dex, so parameter errors again dominate.

Several comments are appropriate at this point concerning the derived abundances. First, the $[\mathrm{Fe} / \mathrm{H}]$ ratios for the M supergiants are well determined from the analysis, even though they are derived by using a gravity obtained from theoretical arguments. This result comes about due to the behavior exhibited in Table 3 by Fe I in relation to possible changes in the stellar parameters. As can be seen, the $[\mathrm{Fe} / \mathrm{H}]$ ratio for the $M$ stars is relatively insensitive to temperature (assuming 3 eV represents the mean excitation potential of the lines analyzed, which is very nearly the case), and the expected uncertainty in the gravity leads to an uncertainty in the abundance of only $\pm 0.2$ dex. Thus we are fortunate in that the gravity is not vital to the derivation of our most important result, namely the [ $\mathrm{Fe} / \mathrm{H}]$ ratio. We noted also that the abundances derived using the Johnson models agree very well with those obtained using the Gustafsson models (mean difference $<0.1$ dex) when the same data are reduced with respect to both grids.

Another point of interest concerns the lack of any evidence for $s$-processing, or other anomalous element abundances, in any of these stars. We thus do not confirm Bakos's (1971) claim that supergiants show $s$ process enhancements. For a more thorough discussion of $s$-processing and the evolutionary status of late-type supergiants, see Luck (1977a, $b ; 1978$ ).

## v. THE GALACTIC METAL-ABUNDANCE GRADIENT

In the present work we have determined chemical compositions for 26 supergiants, most of which lie at
distances of $0.5-2 \mathrm{kpc}$ in the direction of the galactic anticenter. In earlier studies of 28 stars within 0.5 kpc of the Sun (Luck 1977a, $b ;$ 1979), it was found that the local supergiants have a nearly uniform $[\mathrm{Fe} / \mathrm{H}]$ near +0.3 . By contrast, the more distant supergiants have lower metallicities, lying in the interval -0.4 $\leq[\mathrm{Fe} / \mathrm{H}] \leq+0.2$. Particularly striking are the results for three supergiants each in the anticenter associations Aur OB1 and Gem OB1; their mean values of $[\mathrm{Fe} / \mathrm{H}]$ are -0.16 and -0.39 , respectively.

In order to quantify this apparent metallicity gradient in the anticenter direction, we need to know the galactocentric distances for the 54 supergiants of this paper and Luck's earlier work. In several cases, the supergiants belong to OB associations, and for these we have adopted the mean distance moduli given by Humphreys (1978). For the Cepheid $l$ Car we used the distance given by Fernie and Hube (1968).

For the other stars, we need both the interstellar absorption and the absolute magnitude in order to obtain the distance. For more than half the stars, absolute magnitudes determined from the K -line emission width are available from Wilson (1976) and were adopted. For the remainder of the stars we adopted $M_{v}=-5.8$ for luminosity class $\mathrm{Iab},-4.5$ for class Ib , and -2.1 for class II (see Blaauw 1963; Lee 1970; Keenan 1973; Wilson 1976). An alternative procedure for obtaining the absolute magnitudes for these 14 stars would have been to assume a mass and then calculate the luminosity from the derived spectrscopic temperature and gravity. However, we feel this offers no greater precision than the use of average absolute magnitudes for luminosity classes.

The visual absorption was obtained from the relation $A_{v}=3.1 E(B-V)$. The color excess was determined by using the derived effective temperature and gravity with the $T_{\text {eff }}, \log g,[\mathrm{M} / \mathrm{H}], B-V$ relation of Bell and Gustafsson (1978) to obtain the intrinsic color $(B-V)_{0}$, which when combined with the observed $B$ $-V$ gives $E(B-V)$. To allow for metal-abundance dependence of the intrinsic colors we have interpolated or extrapolated as necessary using as base points the colors associated with $[\mathrm{M} / \mathrm{H}]=-0.5$ and $[\mathrm{M} / \mathrm{H}]$ $=0.0$ models. A few of the stars to which this procedure must be applied lie outside the temperaturegravity bounds of the Bell and Gustafsson calibration. For the stars hotter than the Bell and Gustafsson relation, we used the Buser and Kurucz (1978) calibration. In the case of the M stars, most of which are cooler than the Bell and Gustafsson calibration, we are fortunate in that they mostly lie in OB associations and we already know the distance. For the one M star not in an association, 119 Tau, we extrapolated the Bell and Gustafsson calibration to obtain $(B-V)_{0}$ and $E(B-V)$. Our distance for 119 Tau thus obtained agrees well with that given by Humphreys (1970). Table 4 presents the interstellar absorption $A_{v}$, distance $r$ (denoted $R_{\text {SUN }}$ ), and galactocentric distance $R$ (denoted $R_{\mathrm{GC}}$ ) for all objects. $R$ is the projected distance in the galactic plane, calculated assuming that

TABLE 4-Continued

| STAR | L | B | SPECTRAL TYPE | $\checkmark$ | B-V | TEFF | LOG G | [FE/H] | Mv | $\mathrm{HV}_{V}$ |  | NCES RSUN | $\begin{gathered} (K P C) \\ R_{G C} \end{gathered}$ | ASSOCIATION | NOT |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| TV GEM | 189.1 | 1.6 | M1 IAB | 6.58 | 2.30 | 4000 | 0.70 | -0.40 | -6.5 | 2.16 | 0.04 | 1.53 | 10.00 | GEM OB1 | C | * |
| 25 GEM | 186.5 | 10.4 | 6518 | 6.42 | 1.09 | 5000 | 1.00 | -0.16 | -3.9 | 0.41 | 0.17 | 0.96 | 9.46 |  | A | * |
| EPS GEM | 189.5 | 9.6 | G8 IB | 2.98 | 1.40 | 4600 | 0.85 | 0.07 | -4.5 | 0.50 | 0.04 | 0.25 | 8.77 |  | A | , |
| HD 48640 | 190.1 | 9.7 | K1 IB | 7.20 |  | 4500 | 2.25 | -0.15 | -4.5 | 1.20 | 0.21 | 1.26 | 9.75 |  | F | * |
| 41 GEM | 199.5 | 9.2 | K3 IB | 5.69 | 1.66 | 4400 | 0.75 | -0.20 | -3.1 | 0.95 | 0.06 | 0.37 | 8.87 |  | ${ }_{\text {A }}$ | * |
| HD 45829 | 203.5 | -10. 1 | KO IAB | 6.63 | 1.58 1.04 | 4500 4500 | 0.20 | 0.00 -0.25 | -5.8 | 1.25 0.63 | 0.03 0.34 | 1.72 1.89 | 10.13 9.80 |  | B G | * |
| HD 49068 HR 3459 | 231.1 233.3 | -10.5 | K0 IB G2 IB | 7.51 4.61 | 1.04 0.84 | 4500 5250 | 0.75 1.30 | -0.25 -0.11 | -4.5 | 0.63 | 0.34 0.20 | 1.89 0.55 | 9.80 |  | G | * |
| HD 63302 | 233.6 | 4.7 | G8 IAB | 6.70 | 1.78 | 4500 | 0.20 | 0.18 | -5.8 | 1.25 | 0.15 | 1.78 | 9.68 |  | B | * |
| OMI 1 CMA | 235.0 | -10.2 | K3 IAB | 3.92 | 1.71 | 4175 | 0.75 | 0.36 | -6. 6 | 1.05 | 0.13 | 0.75 | 8.98 | COLL 121 | C | 1 |
| 145 CMA | 236.5 | -5.2 | K3 IB | 4.78 | 1.70 | 4350 | 1.20 | 0.28 | -4.5 | 1.07 | 0.04 | 0.44 | 8.78 |  | B | 1 |
| DEL CMA | 238.4 | -8.3 | F8 IA | 1.84 | 0.67 | 6250 | 1.00 | 0.52 | -7.9 | 0.36 | 0.11 | 0.75 | 8.98 | COLL 121 | C | 3 |
| XI PUP | 241.5 |  | G3 IB | 3.35 | 1.25 | 4975 | 0.90 | 0.30 | -4.7 | 0.63 | 0.00 | 0.31 | 8.68 |  | A | 1 |
| 1 PUP | 243.9 | -2.3 | K3 IB | 4.59 | 1.63 | 4325 | 1.30 | 0.07 | -4.5 | 0.91 | 0.02 | 0.43 | 8.73 |  | ${ }_{8}^{B}$ | $\frac{1}{3}$ |
| CANOPUS | 261.2 265.9 | -25.3 2.8 | FO IB | 3.70 2.21 | 0.15 1.65 | 7500 4250 | 1.85 1.40 | 0.35 0.23 | -4.5 | 0.13 0.85 | 0.03 | 0.07 0.11 | 8.49 |  | A | 3 |
| L CAR | 283.2 | -7.0 | G2 IB |  |  | 5100 | 1.50 | 0.30 |  |  | 0.03 | 0.27 | 8.47 |  | H |  |
| HR 4050 | 285.5 | -3.8 | K5 IB | 3.35 | 1.55 | 4500 | 1.60 | 0.54 | -4.5 | 0.85 | 0.07 | 0.57 | 8.42 |  | B | 3 |
| HR 4337 | 290.0 | 1.3 | G0 IA-0 | 3.91 | 1.24 | 5750 | 0.40 | 0.32 | -9.2 | 1.65 | 0.04 | 1.96 | 8.07 | CAR OB2 | C | 3 |
| DEL TRA | 323.4 | -9.2 | G5 IB | 3.84 | 1.10 | 5000 | 1.50 | 0.10 | -4.5 | 0.38 | 0.06 | 0.39 | 8.22 |  | B | 3 |
| beta ARA | 335.4 | -11.0 | K3 IB | 2.84 | 1.56 | 4600 | 1.30 | 0.50 | -4.5 | 0.98 | 0.04 | 0.19 | 8.36 |  | 8 | 3 |
| IOTA 1 SCO | 350.6 | -6.1 | F2 IA | 2.98 | 0.51 | 7000 | 1.25 | 0.27 | -7.2 | 0.93 | 0.08 | 0.71 | 7.83 |  | B | 3 |

$$
\text { NOTES TO TABLE } 4
$$

1. Distances: $Z=$ absolute value of distance from galactic plane; $R_{\mathrm{SUN}}=$ line of sight distance; $R_{\mathrm{GC}}=$ galactocentric distance. 2. (A) Absolute magnitude from Wilson 1976. Intrinsic color from Bell and Gustafsson (1978) if $T_{\text {eff }}<6000 \mathrm{~K}$. Intrinsic color from Buser and Kurucz (1978) if $T_{\text {eff }}>6000 \mathrm{~K}$. Color for
119 Tau extrapolated from Bell and Gustafsson calibration. (B) Assumed absolute magnitude. Colors obtained as in A. (C) Absolute magnitude and visual absorption from Humphreys 1978. (D) 31 Cyg is a binary- $A_{v}$ taken from $\xi$ Cyg-absolute magnitude from Wilson 1976. (E) 3 Cet: $B-V$ not available- $A_{v}$ taken from 56 Peg-assumed absolute magnitude. (F) HD absolute magnitude. (H) $l$ Car is a Cepheid-distance taken from Fernie and Hube 1968. 3. (1) Parameters and abundances from Luck 1977a. (2) Parameters and abundances from Luck 1977b. (3) Parameters and abundances from Luck 1979. (*) Parameters and abundances
from this paper.
2. References for spectral types, magnitudes, and colors can be found in abundance reference. Colors for stars analyzed in this paper from Humphreys 1978
the Sun lies 8.5 kpc from the center (Gunn, Knapp, and Tremaine 1979). The choice of the solar distance has little effect on the gradient calculation as it mainly provides a zero point.
It is apparent that the distances derived in this fashion are rather uncertain. For example, an error of $\sim 1$ mag in $m_{v}-M_{v}-A_{v}$, which is entirely possible in view of the "quantization" of the adopted absolute magnitudes for some of the stars, leads to a $\sim 50 \%$ error in the distance. Fortunately, we have a large sample of stars, so that the effects of random errors in the distances are expected to be minimal.

Figure 2 plots the $[\mathrm{Fe} / \mathrm{H}]$ values for supergiants against galactocentric distance. In order to limit our sample strictly to the youngest disk objects, we omitted nine stars from Table 4 that appear to have distances from the galactic plane $|Z|=r \sin |b| \geq 200 \mathrm{pc}$. The figure shows a pronounced tendency for $[\mathrm{Fe} / \mathrm{H}]$ to decrease with distance. A linear fit yields a gradient $d[\mathrm{Fe} / \mathrm{H}] / d R=-0.24 \pm 0.04 \mathrm{kpc}^{-1}$.

The derived slope depends almost entirely upon the lower metallicities of the distant stars analyzed in this paper (triangles in Fig. 2) relative to the solarneighborhood supergiants analyzed earlier on the basis of different observational material. Although great care was taken to place all abundance determinations on the same scale, the possibility of a systematic shift between these studies must be considered. Fortunately, a few of the objects analyzed in this paper lie between $R=7.7$ and 8.5 kpc , and it can be seen that the triangles alone in Figure 2 define nearly as steep a gradient as the entire sample, $d[\mathrm{Fe} / \mathrm{H}] / d R=-0.17$ $\pm 0.05 \mathrm{kpc}^{-1}$. If we further confine our attention to the three OB associations represented in our new sample, which have the most accurate distances, we again obtain a rather steep gradient, $d[\mathrm{Fe} / \mathrm{H}] / d R=$ $-0.21 \pm 0.04 \mathrm{kpc}^{-1}$.

We therefore conclude that an iron gradient of $d[\mathrm{Fe} / \mathrm{H}] / d R \approx-0.2 \mathrm{kpc}^{-1}$ exists in the young supergiants and, by inference, the interstellar gas, in the galactic disk near the Sun. A similar gradient in the nitrogen abundance in $\mathrm{H}_{\text {II }}$ regions has been reported by Peimbert et al. (1978), along with a somewhat less steep oxygen gradient. Although somewhat shallower N and O gradients have been obtained from $\mathrm{H}_{\text {II }}$
regions by Hawley (1978), it seems clear that the N, O, and Fe contents of the interstellar gas and the youngest stars all decrease significantly with distance from the galactic center.

The formation and chemical evolution of galactic disks have been modeled by Tinsley and Larson (1978). They show that a metallicity gradient quite generally arises among the older disk stars, because the starformation, supernova, and nucleosynthesis rates are lower in the outer parts of the disk. The metallicity gradient of the interstellar gas at the present epoch, however, depends more sensitively upon details of the models. If metal-poor gas continues to fall into the disk, the gradients will remain shallow and the overall metal content will increase, at best, slowly. On the other hand, if infall is not important, then both the metallicity and its gradient in the gas and young stars are expected to increase with time. Tinsley and Larson also point out that the gradient could be further enhanced if there are relatively fewer massive stars, and therefore lower nucleosynthesis yields, at larger radii, or if there are radially inward gas flows in the disk.

There is indeed some observational evidence that the abundance gradient is shallower for older stars than the slope of $\sim-0.2 \mathrm{kpc}^{-1}$ that we find for young stars. Janes (1979) finds $d[\mathrm{Fe} / \mathrm{H}] / d R=-0.05 \mathrm{kpc}^{-1}$ for field $G$ and $K$ giants and open clusters; he also summarizes a number of other papers that generally find similar values. This apparent difference in the gradients between old disk stars and young stars and gas, if substantiated, will provide an important new constraint on models for the evolution of the Galaxy.

Future work in this area should include abundance determinations in the more distant supergiants that can be reached at high spectral resolution. Of particular interest would be the galactic-center direction, where there is some hint in our Figure 2 that the gradient may be flattening out. This would be in agreement with both the observational work of Janes and the predictions of the Tinsley-Larson models. It would also be of interest to press as far as possible in the anticenter direction; in particular, the Perseus double cluster contains a number of $M$ supergiants for which abundance determinations are possible. Finally,


FIG. 2. $-[\mathrm{Fe} / \mathrm{H}]$ versus galactocentric distance for 45 supergiants. The indicated gradient has a slope of $-0.24 \mathrm{kpc}^{-1}$. See text for discussion.
it would be interesting to study the CNO abundances in supergiants in order to make a direct comparison with the $\mathrm{H}_{\text {II }}$ region abundances. Work on several of these projects is underway.

We thank the Hale Observatories for generous allotments of observing time for this project. S. Shectman and G. Yanik provided valuable assistance. A large amount of thanks is due B. Gustafsson, R. Bell,
A. Nordlund, and K. Eriksson for supplying model atmospheres and allowing the use of their modelatmosphere code. K. Eriksson was instrumental in implementing this code at LSU. A. Bernat kindly supplied the grid of models used for the M stars. G. Ellis, R. McMains, and C. Luck assisted in data reduction. This research was supported by the National Science Foundation through grant AST 7825538.

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